

Q 01 LIMITS

★☆☆

What is the limit?

$$\lim_{x \rightarrow 3} (x^2 - 9) / (x - 3)$$

A 3

B 6

C 9

D Does not exist

Q 02 LIMITS

★☆☆

Find the limit.

$$\lim_{x \rightarrow 0} \sin(x) / x$$

A 0

B 1

C ∞

D Does not exist

Q 03 LIMITS

★☆☆

Evaluate the limit.

$$\lim_{x \rightarrow 2} (3x + 1)$$

A 6

B 7

C 8

D 9

What is the limit as x approaches infinity?

$$\lim_{x \rightarrow \infty} (5x^2 + 3) / (2x^2 - 1)$$

A 0

B $5/2$

C 5

D ∞

A function f is continuous at $x = a$ if which THREE conditions hold?

A $f(a)$ exists; $\lim_{x \rightarrow a} f$ exists; $\lim_{x \rightarrow a} f = f(a)$

B $f(a)$ exists; f is differentiable; f is bounded

C f is increasing; limit exists; $f(a) > 0$

D $f'(a) = 0$; limit exists; f is periodic

Evaluate the limit.

$$\lim_{x \rightarrow 0} (1 - \cos x) / x$$

A 0

B $1/2$

C 1

D Does not exist

What is the limit?

$$\lim_{x \rightarrow 4} (\sqrt{x} - 2) / (x - 4)$$

A 0

B $1/4$

C $1/2$

D Does not exist

Find the one-sided limit.

$$\lim_{x \rightarrow 0^+} 1/x$$

A 0

B 1

C $-\infty$

D $+\infty$

$f(x) = (x^2 - 4)/(x - 2)$ for $x \neq 2$, and $f(2) = k$. What value of k makes f continuous at $x = 2$?

A 0

B 2

C 4

D 6

Evaluate the limit.

$$\lim_{x \rightarrow \infty} (4x^3 - x) / (7x^3 + 2x^2)$$

A 0

B $4/7$

C $7/4$

D ∞

What is $\lim_{x \rightarrow \infty} e^{-x}$?

$$\lim_{x \rightarrow \infty} e^{-x}$$

A 0

B 1

C e

D ∞

The Intermediate Value Theorem states that if f is continuous on $[a, b]$ and N is between $f(a)$ and $f(b)$, then:

A f has a maximum on $[a, b]$

B there exists c in (a, b) such that $f(c) = N$

C f is differentiable on (a, b)

D $f(a) = f(b)$

Q 13 LIMITS

★★★

Evaluate the limit using L'Hôpital's Rule.

$$\lim_{x \rightarrow 0} (e^x - 1) / x$$

☐ A 0☐ B 1☐ C e☐ D Does not exist

Q 14 LIMITS

★★★

Find the limit.

$$\lim_{x \rightarrow \infty} x \cdot \sin(1/x)$$

☐ A 0☐ B 1☐ C ∞ ☐ D Does not exist

Q 15 CONTINUITY

★★★

Which type of discontinuity occurs when $\lim_{x \rightarrow a} f(x)$ exists but does NOT equal $f(a)$?

☐ A Jump discontinuity☐ B Removable discontinuity☐ C Infinite discontinuity☐ D Essential discontinuity

The derivative of f at $x = a$ is defined as:

$$f'(a) = \lim_{h \rightarrow 0} [f(a+h) - f(a)] / h$$

- A** Average rate of change on $[a, b]$
- B** Instantaneous rate of change at $x = a$
- C** Area under f between a and $a+h$
- D** Second derivative at $x = a$

Find $f'(x)$ if $f(x) = x^5$.

$$f(x) = x^5$$

- A** $5x$
- B** $5x^4$
- C** x^4
- D** $4x^5$

What is $d/dx(\sin x)$?

$$d/dx (\sin x) = ?$$

- A** $-\cos x$
- B** $\cos x$
- C** $-\sin x$
- D** $\tan x$

What is $d/dx(e^x)$?

$$d/dx (e^x) = ?$$

A xe^{x-1}

B e^x

C e

D $e^x \cdot \ln e$

What is $d/dx(\ln x)$?

$$d/dx (\ln x) = ?$$

A $1/x$

B $\ln x$

C x

D e^x

Find the derivative using the Product Rule: $f(x) = x^2 \cdot \sin x$.

$$f(x) = x^2 \cdot \sin x$$

A $2x + \cos x$

B $2x \cdot \sin x + x^2 \cdot \cos x$

C $2x \cdot \cos x$

D $x^2 \cdot \cos x$

Find $f'(x)$ using the Quotient Rule: $f(x) = (x^2 + 1) / (x - 3)$.

$$f(x) = (x^2 + 1) / (x - 3)$$

A $(2x(x-3) - (x^2+1)) / (x-3)^2$

B $(2x(x-3) + (x^2+1)) / (x-3)^2$

C $2x / 1$

D $(x^2-6x-1) / (x-3)^2$

Apply the Chain Rule: find $d/dx[\sin(3x^2)]$.

$$d/dx [\sin(3x^2)]$$

A $\cos(3x^2)$

B $6x \cdot \cos(3x^2)$

C $-6x \cdot \cos(3x^2)$

D $3x \cdot \cos(3x^2)$

Find dy/dx using implicit differentiation: $x^2 + y^2 = 25$.

$$x^2 + y^2 = 25$$

A x/y

B $-x/y$

C y/x

D $-y/x$

A particle moves so that its position is $s(t) = t^3 - 6t^2 + 9t$. What is its velocity at $t = 2$?

$$s(t) = t^3 - 6t^2 + 9t$$

A -3

B 0

C 3

D 9

What is $d/dx(\tan x)$?

$$d/dx (\tan x) = ?$$

A $\sec x$

B $\sec^2 x$

C $-\csc^2 x$

D $-\sec x \tan x$

Find the slope of the tangent to $f(x) = 2x^3 - 3x$ at $x = 1$.

$$f(x) = 2x^3 - 3x, \quad x = 1$$

A -1

B 0

C 3

D 6

Find dy/dx if $y = \ln(x^2 + 1)$.

$$y = \ln(x^2 + 1)$$

A $1/(x^2+1)$

B $2x/(x^2+1)$

C $\ln(2x)$

D $2/(x^2+1)$

Find $d/dx[e^x \cdot \cos x]$.

$$d/dx [e^x \cdot \cos x]$$

A $e^x(\cos x - \sin x)$

B $e^x(\cos x + \sin x)$

C $-e^x \sin x$

D $e^x \cos x$

What is the second derivative of $f(x) = x^4 - 3x^2$?

$$f(x) = x^4 - 3x^2$$

A $4x^3 - 6x$

B $12x^2 - 6$

C $12x$

D $4x^3$

Q 31 DERIVATIVES

★★★

Use the Chain Rule: find $d/dx[e^{(x^2)}]$.

$$d/dx [e^{(x^2)}]$$

A $2x \cdot e^{x^2}$

B e^{x^2}

C $x^2 \cdot e^{x^2}$

D $2e^{x^2}$

Q 32 DERIVATIVES

★★★

Find dy/dx by implicit differentiation: $xy + y^2 = 5$.

$$xy + y^2 = 5$$

A $-y / (x + 2y)$

B $y / (x + 2y)$

C $-y / (2y - x)$

D $y / (2y + x)$

Q 33 APPLICATIONS

★☆☆

A function has a critical point where:

A $f(x) = 0$

B $f'(x) = 0$ or $f'(x)$ is undefined

C $f''(x) > 0$

D $f(x) > f'(x)$

The First Derivative Test says: if $f'(x)$ changes from positive to negative at $x = c$, then f has a:

A Local minimum

B Local maximum

C Inflection point

D Saddle point

The Second Derivative Test: if $f'(c) = 0$ and $f''(c) > 0$, then f has a:

A Local maximum

B Inflection point

C Local minimum

D No conclusion

An inflection point of f occurs where:

A $f'(x) = 0$

B $f(x) = 0$

C $f''(x)$ changes sign

D $f'(x)$ changes sign

The Mean Value Theorem states that if f is continuous on $[a,b]$ and differentiable on (a,b) , then there exists c in (a,b) such that:

$$f'(c) = [f(b) - f(a)] / (b - a)$$

A $f(c) = 0$

B $f'(c) = 0$

C $f'(c) = [f(b)-f(a)]/(b-a)$

D $f(a) = f(b)$

Find the absolute maximum of $f(x) = -x^2 + 4x$ on $[0, 5]$.

$$f(x) = -x^2 + 4x, x \in [0, 5]$$

A 0

B 4

C 5

D -5

A particle moves along a line with position $s(t) = t^3 - 6t^2 + 9t$. When is it at rest?

$$s(t) = t^3 - 6t^2 + 9t$$

A $t = 0$ and $t = 3$

B $t = 1$ and $t = 3$

C $t = 2$ and $t = 4$

D $t = 0$ only

If $f''(x) > 0$ on an interval, the graph of f is:

A Decreasing

B Increasing

C Concave down

D Concave up

A 10 ft ladder leans against a wall. The base slides away at 2 ft/sec. How fast is the top sliding down when the base is 6 ft from the wall?

$$x^2 + y^2 = 100$$

A -1.5 ft/sec

B $-3/2$ ft/sec

C $-3/2$ ft/sec

D Both A and B

Maximize the product of two positive numbers whose sum is 20.

$$x + y = 20, \text{ maximize } P = xy$$

A $P = 80$ at $x=8, y=12$

B $P = 100$ at $x=10, y=10$

C $P = 96$ at $x=4, y=16$

D $P = 75$ at $x=5, y=15$

Find the linearization (tangent line approximation) of $f(x) = \sqrt{x}$ at $x = 9$.

$$L(x) = f(9) + f'(9)(x - 9)$$

A $L(x) = 3 + (1/6)(x-9)$

B $L(x) = 3 + (1/3)(x-9)$

C $L(x) = 9 + 3(x-3)$

D $L(x) = 3x$

Using Newton's Method, the update formula x_{n+1} is:

$$x_{n+1} = x_n - f(x_n) / f'(x_n)$$

A $x_n - f(x_n)/f'(x_n)$

B $x_n + f(x_n)/f'(x_n)$

C $x_n \cdot f'(x_n)/f(x_n)$

D $f(x_n)/f'(x_n)$

$f(x) = x^3 - 3x$. On which interval is f both decreasing AND concave up?

$$f(x) = x^3 - 3x$$

A $(-\infty, -1)$

B $(-1, 0)$

C $(0, 1)$

D $(1, \infty)$

$\int x^n dx = ? (n \neq -1)$

$\int x^n dx = ?$

A $nx^{n-1} + C$

B $x^{n+1} + C$

C $x^{n+1}/(n+1) + C$

D $x^n/n + C$

Evaluate $\int \cos x dx$.

$\int \cos x dx$

A $-\sin x + C$

B $\sin x + C$

C $-\cos x + C$

D $\tan x + C$

Evaluate $\int e^x dx$.

$\int e^x dx$

A $e^x/x + C$

B $xe^x + C$

C $e^x + C$

D $e + C$

$$\int (1/x) dx = ?$$

$$\int (1/x) dx$$

A $x^{-2}/2 + C$

B $\ln|x| + C$

C $1/x^2 + C$

D $x + C$

Evaluate $\int (3x^2 + 2x - 5) dx$.

$$\int (3x^2 + 2x - 5) dx$$

A $6x + 2$

B $x^3 + x^2 - 5x + C$

C $3x^3 + 2x^2 - 5x + C$

D $x^3 + x^2 + C$

Use u-substitution to evaluate $\int 2x(x^2+1)^4 dx$.

$$\int 2x(x^2 + 1)^4 dx$$

A $(x^2+1)^5 + C$

B $(x^2+1)^5/5 + C$

C $2(x^2+1)^5/5 + C$

D $5(x^2+1)^4 + C$

Evaluate $\int \sin(3x) \, dx$.

$$\int \sin(3x) \, dx$$

A $\cos(3x) + C$

B $-\cos(3x) + C$

C $-\cos(3x)/3 + C$

D $3\cos(3x) + C$

The Fundamental Theorem of Calculus Part 1 states: if $F(x) = \int_a^x f(t) \, dt$, then:

$$F(x) = \int_a^x f(t) \, dt \rightarrow F'(x) = ?$$

A $F'(x) = f(a)$

B $F'(x) = f(t)$

C $F'(x) = f(x)$

D $F'(x) = \int_a^x f'(t) \, dt$

Evaluate the definite integral.

$$\int_0^2 (3x^2) \, dx$$

A 6

B 8

C 12

D 24

The Fundamental Theorem Part 2: $\int_a^b f(x) dx = F(b) - F(a)$, where F is an antiderivative of f . Evaluate:

$$\int_0^{\pi/2} \cos x \, dx$$

A 0

B 1

C $\pi/2$

D 2

Evaluate $\int_1^4 (1/\sqrt{x}) dx$.

$$\int_1^4 x^{-1/2} dx$$

A 1

B 2

C 3

D 4

Evaluate using u-substitution: $\int e^{(\sin x)} \cdot \cos x \, dx$.

$$\int e^{(\sin x)} \cdot \cos x \, dx$$

A $e^{(\sin x)} \cdot \cos x + C$

B $e^{(\sin x)} + C$

C $\sin x \cdot e^{(\cos x)} + C$

D $\cos(e^x) + C$

Apply FTC Part 1 with the Chain Rule: find $d/dx[\int_0^{x^2} \sin(t) dt]$.

$$d/dx \left[\int_0^{x^2} \sin(t) dt \right]$$

A $\sin(x)$

B $\sin(x^2)$

C $2x \cdot \sin(x^2)$

D $\cos(x^2)$

Evaluate $\int x \cdot e^x dx$ using Integration by Parts.

$$\int x \cdot e^x dx$$

A $x \cdot e^x + C$

B $e^x(x-1) + C$

C $e^x/x + C$

D $x^2 e^x/2 + C$

Evaluate $\int_0^1 (2x+1)^3 dx$.

$$\int_0^1 (2x+1)^3 dx$$

A 10

B 20

C 30

D 40

The area between $f(x) = x^2$ and $g(x) = x$ on $[0,1]$ is:

$$A = \int_0^1 [x - x^2] dx$$

A $1/6$

B $1/3$

C $1/2$

D 1

Find the area between $y = \sin x$ and the x-axis from $x = 0$ to $x = \pi$.

$$A = \int_0^\pi \sin x dx$$

A 0

B 1

C 2

D π

The volume of the solid formed by revolving $f(x) = x$ about x-axis on $[0,2]$ is (Disk Method):

$$V = \pi \int_0^2 x^2 dx$$

A $4\pi/3$

B $8\pi/3$

C 4π

D 8π

Shell Method volume for revolving $y = x^2$ about the y-axis from $x = 0$ to $x = 2$:

$$V = 2\pi \int_0^2 x \cdot x^2 dx$$

A 8π

B $16\pi/5$

C $8\pi/5$

D $32\pi/5$

Average value of $f(x) = x^2$ on $[1, 3]$:

$$f_{\text{avg}} = (1/(3-1)) \int_1^3 x^2 dx$$

A $8/3$

B $13/3$

C 9

D $26/3$

Find the area enclosed by $y = x^2 - 4$ and $y = 0$.

$$y = x^2 - 4 \text{ and } y = 0$$

A $8/3$

B $16/3$

C $32/3$

D 8

Q 67 FTC

★★★

Given $\int_0^5 f(x)dx = 12$ and $\int_0^3 f(x)dx = 7$, find $\int_3^5 f(x)dx$.

☐ A 5☐ B 12☐ C 19☐ D -5

Q 68 INTEGRALS

★★★

A car decelerates so its velocity is $v(t) = 60 - 10t$ ft/sec. Total distance traveled from $t=0$ to $t=6$:

distance = $\int_0^6 |60 - 10t| dt$

☐ A 120 ft☐ B 180 ft☐ C 240 ft☐ D 360 ft

Q 69 DIFF. EQUATIONS

★★☆

Solve the separable differential equation: $dy/dx = y$.

$dy/dx = y$

☐ A $y = x + C$ ☐ B $y = Ce^x$ ☐ C $y = e^{(Cx)}$ ☐ D $y = \ln x + C$

Solve: $dy/dx = 2xy$ with $y(0) = 1$.

$$dy/dx = 2xy, \quad y(0) = 1$$

A $y = e^{(x^2)}$

B $y = e^{(2x)}$

C $y = x^2 + 1$

D $y = 2x$

The general solution of $dy/dx = ky$ is exponential growth/decay:

$$dy/dx = ky$$

A $y = k + C$

B $y = Ce^{(kx)}$

C $y = kx^2 + C$

D $y = C\sin(kx)$

A population doubles in 10 years. If $P_0=500$, the growth model $P(t)$ satisfies $P(10)=1000$. Find k .

$$P(t) = 500 e^{(kt)}, \quad P(10) = 1000$$

A $k = \ln 2$

B $k = \ln 2/10$

C $k = 2/10$

D $k = 10/\ln 2$

Euler's Method: given $dy/dx = x + y$, $y(0)=1$, step $h=0.1$, find $y(0.1)$.

$$y_{\text{new}} = y_{\text{old}} + h \cdot f(x_{\text{old}}, y_{\text{old}})$$

A 1.0

B 1.1

C 1.2

D 1.01

Solve: $dy/dx = (x^2)/y$, with $y(0) = 2$.

$$dy/dx = x^2 / y$$

A $y = x^3/3 + 2$

B $y^2 = 2x^3/3 + 4$

C $y = \sqrt{(2x^3/3+4)}$

D $y = x^3$

For parametric equations $x=t^2$, $y=t^3$, find dy/dx .

$$x = t^2, y = t^3$$

A $2t/3t^2$

B $3t^2/2t$

C $3t/2$

D $t/2$

Arc length of parametric curve: $x = \cos t$, $y = \sin t$, from $t = 0$ to $t = 2\pi$.

$$L = \int_0^{2\pi} \sqrt{[(dx/dt)^2 + (dy/dt)^2]} dt$$

A 1

B π

C 2π

D 4π

Convert $r = 2$ to rectangular form.

$$r = 2$$

A $x + y = 2$

B $x^2 + y^2 = 4$

C $x^2 + y^2 = 2$

D $y = 2x$

Area enclosed by polar curve $r = 3$ from $\theta = 0$ to $\theta = 2\pi$:

$$A = \frac{1}{2} \int_0^{2\pi} r^2 d\theta$$

A 3π

B 9π

C 18π

D 6π

Evaluate $\int \tan x \, dx$.

$$\int \tan x \, dx$$

A $\sec^2 x + C$

B $\ln|\cos x| + C$

C $-\ln|\cos x| + C$

D $\ln|\sin x| + C$

Evaluate $\int \sec^2 x \, dx$.

$$\int \sec^2 x \, dx$$

A $2\sec x \tan x + C$

B $\sec x + C$

C $\tan x + C$

D $-\cot x + C$

Evaluate $\int -1^1 x^3 \, dx$.

$$\int -1^1 x^3 \, dx$$

A 0

B $\frac{1}{4}$

C $\frac{1}{2}$

D 2

If $F(x) = \int_1^x t^2 dt$, what is $F'(3)$?

$$F(x) = \int_1^x t^2 dt$$

A 3

B 6

C 9

D 27

Differentiate $y = x^x$ using logarithmic differentiation.

$$y = x^x$$

A $x \cdot x^{(x-1)}$

B $x^x \cdot \ln x$

C $x^x(1 + \ln x)$

D $x^x / \ln x$

Find $d/dx[\arctan x]$.

$$d/dx [\arctan(x)] = ?$$

A $1/\sqrt{1-x^2}$

B $-1/\sqrt{1-x^2}$

C $1/(1+x^2)$

D $1/(1-x^2)$

Find $d/dx[\arcsin x]$.

$$d/dx [\arcsin(x)] = ?$$

A $1/\sqrt{1-x^2}$

B $-1/\sqrt{1-x^2}$

C $1/(1+x^2)$

D $\sqrt{1-x^2}$

A box with square base and open top is to have volume 32 cm^3 . What base side length minimizes surface area?

$$V = x^2 h = 32, S = x^2 + 4xh$$

A $x = 2$

B $x = 4$

C $x = 2\sqrt[3]{4}$

D $x = 8$

Water drains from a conical tank at $2 \text{ m}^3/\text{min}$. Cone: radius $R=4\text{m}$, height $H=8\text{m}$. How fast does the water level drop when depth $h=4\text{m}$?

$$V = (\pi/3)r^2 h, \quad r/h = 4/8 = 1/2$$

A $-2/\pi \text{ m/min}$

B $-8/(4\pi) \text{ m/min}$

C $-2/(\pi) \text{ m/min}$

D Both A and C

Evaluate using L'Hôpital's Rule:

$$\lim_{(x \rightarrow 0)} (x - \sin x) / x^3$$

A 0

B $1/6$

C $1/3$

D 1

$\int (x^2 - 1)/(x + 1) dx$ — simplify first.

$$\int (x^2 - 1)/(x + 1) dx$$

A $x^2/2 + C$

B $x^2/2 - x + C$

C $\ln|x+1| + C$

D $(x-1)^2/2 + C$

The Net Change Theorem: $\int_a^b F'(x) dx = ?$

- ☐ A $F(a)$
- ☐ B $F(b)$
- ☐ C $F(b) + F(a)$
- ☐ D $F(b) - F(a)$

A function f is increasing on $[a,b]$ when:

- ☐ A $f''(x) > 0$ on (a,b)
- ☐ B $f'(x) > 0$ on (a,b)
- ☐ C $f(a) > 0$
- ☐ D $f(b) > f''(b)$

Find all x where $f(x) = x^3 - 3x^2 - 9x + 5$ is increasing.

$$f(x) = x^3 - 3x^2 - 9x + 5$$

- ☐ A $(-1, 3)$
- ☐ B $(-\infty, -1) \cup (3, \infty)$
- ☐ C $(0, \infty)$
- ☐ D $(-3, 1)$

Evaluate $\int 2x/(x^2+1) dx$.

$$\int 2x/(x^2 + 1) dx$$

A $\ln(x^2+1) + C$

B $\arctan(x) + C$

C $2\arctan(x) + C$

D $1/(x^2+1) + C$

Evaluate $\int_0^{\pi/4} \sec^2 x dx$.

$$\int_0^{\pi/4} \sec^2 x dx$$

A 0

B $1/2$

C 1

D $\sqrt{2}$

Find the equation of the tangent line to $y = e^x$ at $x = 0$.

$$y = e^x \text{ at } x = 0$$

A $y = x$

B $y = x + 1$

C $y = ex + 1$

D $y = 1$

Logistic growth model: $dP/dt = kP(M-P)$. As $t \rightarrow \infty$, the population approaches:

$$dP/dt = kP(M - P)$$

A 0

B k

C M

D ∞

Evaluate $\int 1/(1+x^2) dx$.

$$\int 1/(1+x^2) dx$$

A $\ln(1+x^2) + C$

B $\arctan(x) + C$

C $\arcsin(x) + C$

D $-\arctan(x) + C$

Rolles's Theorem requires f to be continuous on $[a,b]$, differentiable on (a,b) , and $f(a) = f(b)$. Its conclusion is:

A f has an absolute maximum on $[a,b]$

B there exists c in (a,b) with $f'(c) = 0$

C f is constant on $[a,b]$

D $f'(a) = f'(b)$

The displacement of a particle from $t=0$ to $t=4$ if $v(t) = t^2 - 4t$ is:

$$\text{displacement} = \int_0^4 (t^2 - 4t) dt$$

A $-32/3$

B 0

C $32/3$

D 16

If $\int_0^4 f(x)dx = 10$ and f is even, what is $\int_{-4}^4 f(x)dx$?

$$f \text{ is even: } f(-x) = f(x)$$

A 5

B 10

C 20

D 0

Answer Key

Q1: B	Q2: B	Q3: B	Q4: B	Q5: A
Q6: A	Q7: B	Q8: D	Q9: C	Q10: B
Q11: A	Q12: B	Q13: B	Q14: B	Q15: B
Q16: B	Q17: B	Q18: B	Q19: B	Q20: A
Q21: B	Q22: A	Q23: B	Q24: B	Q25: A
Q26: B	Q27: C	Q28: B	Q29: A	Q30: B
Q31: A	Q32: A	Q33: B	Q34: B	Q35: C
Q36: C	Q37: C	Q38: B	Q39: B	Q40: D
Q41: D	Q42: B	Q43: A	Q44: A	Q45: C
Q46: C	Q47: B	Q48: C	Q49: B	Q50: B
Q51: B	Q52: C	Q53: C	Q54: B	Q55: B
Q56: B	Q57: B	Q58: C	Q59: B	Q60: B
Q61: A	Q62: C	Q63: B	Q64: A	Q65: B
Q66: B	Q67: A	Q68: B	Q69: B	Q70: A
Q71: B	Q72: B	Q73: B	Q74: C	Q75: C
Q76: C	Q77: B	Q78: B	Q79: C	Q80: C
Q81: A	Q82: C	Q83: C	Q84: C	Q85: A
Q86: B	Q87: D	Q88: B	Q89: B	Q90: D
Q91: B	Q92: B	Q93: A	Q94: C	Q95: B
Q96: C	Q97: B	Q98: B	Q99: A	Q100: C